

May 2007

## Curve Graphing in MS Excel and Applications

M El-Gebeily

*King Fahd University of Petroleum and Mineral*

B Yushau

*King Fahd University of Petroleum and Mineral*

Follow this and additional works at: <http://epublications.bond.edu.au/ejsie>



This work is licensed under a [Creative Commons Attribution-Noncommercial-No Derivative Works 4.0 License](https://creativecommons.org/licenses/by-nc-nd/4.0/).

---

### Recommended Citation

El-Gebeily, M and Yushau, B (2007) Curve Graphing in MS Excel and Applications, *Spreadsheets in Education (eJSiE)*: Vol. 2: Iss. 2, Article 6.

Available at: <http://epublications.bond.edu.au/ejsie/vol2/iss2/6>

This In the Classroom Article is brought to you by the Bond Business School at [epublications@bond](mailto:epublications@bond.edu.au). It has been accepted for inclusion in Spreadsheets in Education (eJSiE) by an authorized administrator of [epublications@bond](mailto:epublications@bond.edu.au). For more information, please contact [Bond University's Repository Coordinator](#).

---

# Curve Graphing in MS Excel and Applications

## **Abstract**

Curve sketching is one of the best ways to visualize and investigate the behavior of functions and equations. Graphs convey a lot more information about functions than algebraic expressions would. In this note we shall show how to use MS Excel to graph different types of functions and equations. Applications to zooming, root finding, parametric studies and online curve graphing will be given.

## **Keywords**

Graphing, Excel, Technology

## **Distribution License**



This work is licensed under a [Creative Commons Attribution-Noncommercial-No Derivative Works 4.0 License](https://creativecommons.org/licenses/by-nc-nd/4.0/).

## **Cover Page Footnote**

The authors would like to thank King Fahd University of Petroleum & Minerals for excellent research facility.

# Curve Graphing in MS Excel and Applications

M. El-Gebeily and B. Yushau\*  
*Department of Mathematical Sciences*  
*King Fahd University of Petroleum and Mineral.*  
*Dhahran, Saudi Arabia.*

## Abstract

Curve sketching is one of the best ways to visualize and investigate the behavior of functions and equations. Graphs convey a lot more information about functions than algebraic expressions would. In this note we shall show how to use MS Excel to graph different types of functions and equations. Applications to zooming, root finding, parametric studies and online curve graphing will be given.

**Keywords:** Graphing, Excel, Technology

## 1 Introduction

One unique feature of the computer as a teaching and learning tool is visualization. This powerful visualization capacity of the computer is unprecedented and incomparable with all other traditional teaching aids. Now abstract concepts that have proved difficult for teachers to explain or for students to grasp using traditional teaching approaches or aids can now easily be produced and understood using the powerful animation and graphical display capabilities of computers. In line with this development, many specialized software are developed for graphics, and many others are having graphics as one of their capabilities. MS Excel is one of the latter. As a result, not many people are aware that one can use the software to sketch some sophisticated graphs. In this note, we shall show how MS Excel can be used to sketch different types of graphs and use them in some applications such as root finding or parametric studies. Although all what we are going present here can be implemented using other more specialized software and sometimes even more efficiently or effectively. The reasons for choosing Excel are for the fact that, the program is widely available. Furthermore, no purchase of any specialized software is necessary. Also, the ideas will help teachers and students in teaching and learning many things that have to do with graphs. And the moment users get a grip of the ideas, they will be in full control of the implementation, and therefore increase their level of creativity.

For related work in the literature we refer to the papers by Abramovich et al, [2] and Sugden [5] where the authors explore very interesting applications of conditional spreadsheet formatting. One of these ideas is a zooming technique for approximating zeros of nonlinear functions when a change of sign (corresponding to a change of color) of the dependent variable is detected. An excellent exposition of graph animations can also be found in Arganbright [2]. By way of comparison, our work here is more specialized in curve graphing and more systematic. Several new ideas will also be introduced relating to graphing “non-functions” and online data graphing and analysis.

## 2 Generating sequences of x values

In this section we discuss two methods for generating sequences of x values for graphing purposes. The first is an Excel auto-fill method and the second is a formula copying method.

### 2.1. The Excel auto-fill method

Suppose we want to generate values between -5 and 5 with a step of 0.2. Then the procedure is as follows (see Figure 1).

- a) In cell A2 enter the first value (-5).
- b) In cell A3 enter the next value (-4.8)
- c) Select the range A2-A3.
- d) Point the cursor to the fill handle (the little box at the lower right corner of the selected cells). The cursor will change to a +.
- e) Click with the left mouse button and drag down. As you drag, you will see a yellow hint box containing the current value generated by Excel. Stop when you reach the last value (5 in this case). When you release the mouse button the desired sequence will be created.
- f) Select the whole of column A by clicking on the A label (the box above cell A1). Now in the main menu bar click Insert, Name, Define. A dialog box appears which shows all the names defined in the workbook and the ranges they refer to. In the "Names in workbook:" Box, type x to indicate the values in the first column will be referred to as x (you will find the name x already typed there if you generated the sequence as shown in Figure 1). Confirm this name by pressing OK.

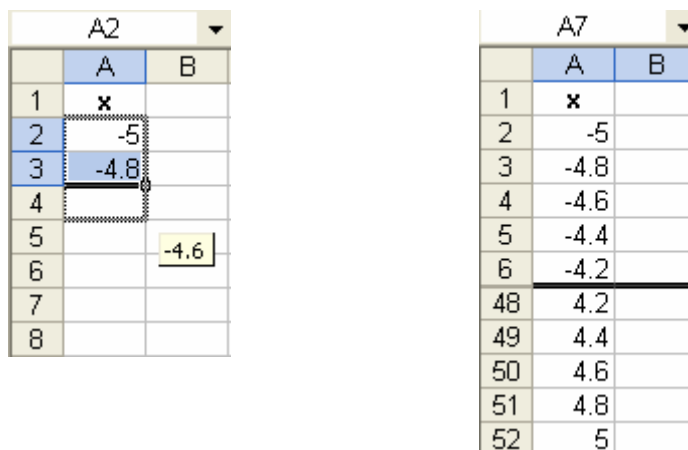


Figure 1: Sequence generation by the Fill Method

### 2.2. The formula copy method

As in the above method, suppose we want to generate values between -5 and 5 with a step of 0.2. The procedure is as follows.

- a) In cell A2 enter the first value (-5).

## CURVE GRAPHING IN MS EXCEL AND APPLICATIONS

- b) In A3 enter the formula  $=A2+0.2$ .
- c) Select A3, point the cursor to the fill handle, left click and drag down to cell A52 (note that  $52=(5-(-5))/0.2+2$ ). This will create the desired sequence.

The second method offers a lot more flexibility. To illustrate this, assume we want to generate a sequence of 100 x-values between a left endpoint  $a$  and a right endpoint  $b$ . We want the values of  $a$  and  $b$  to be variable. To do this we take the following steps: (see Figure 2)

- d) Label cells A1, B1 and C1 as  $a$ ,  $b$  and  $h$  and name cells A2, B2 and C2 as  $a$ ,  $b$  and  $h$ .
- e) In A2 and B2 enter the values of  $a$  and  $b$ . In C2 enter the formula  $=(B2-A2)/100$  to set the value of  $h$ .
- f) In D2 enter the formula  $=a$  and in D3 enter the formula  $=D2+h$ .
- g) Select D3, position the cursor on the fill handle and drag down to cell D102.

For instance, if  $a = 0$  and  $b = 2$ , the implementation of the above steps will yield the results shown in Figure 2.

	A7			f <sub>x</sub>	
	A	B	C	D	E
1	<b>a</b>	<b>b</b>	<b>h</b>	<b>x</b>	
2	0	2	0.02	0	
3				0.02	
4				0.04	
5				0.06	
6				0.08	
99				1.94	
100				1.96	
101				1.98	
102				2	

Figure 2: Sequence generation by formula copying

The most general case where the end points  $a$  and  $b$  as well as the number of divisions  $n$  are all variable can be handled as follows: (see Figure 3)

- h) Label cells A1, B1, C1 and D1 as  $a$ ,  $b$ ,  $n$  and  $h$  and name cells A2, B2, C2 and D2 as  $a$ ,  $b$ ,  $n$  and  $h$ .
- i) In A2, B2 and C2 enter the values of  $a$ ,  $b$  and  $n$ . In D2 enter the formula  $=(b-a)/n$  to set the value of  $h$ .
- j) In E2 enter the formula  $=a$  and in E3 enter the formula  $=IF(E2="", "", IF(E2+h>b, "", E2+h))$ . (Observe that the inner IF statement generates the subdivisions as long as the new computed point is to the left of  $b$  and puts an empty cell once we exceed  $b$ . The outer IF statement is used to repeat the empty cells after  $b$ .)
- k) Copy the formula in E3 by dragging down to as many cells in column E as you can anticipate your needs for the number of divisions  $n$ . (1000 cells may be a safe amount)

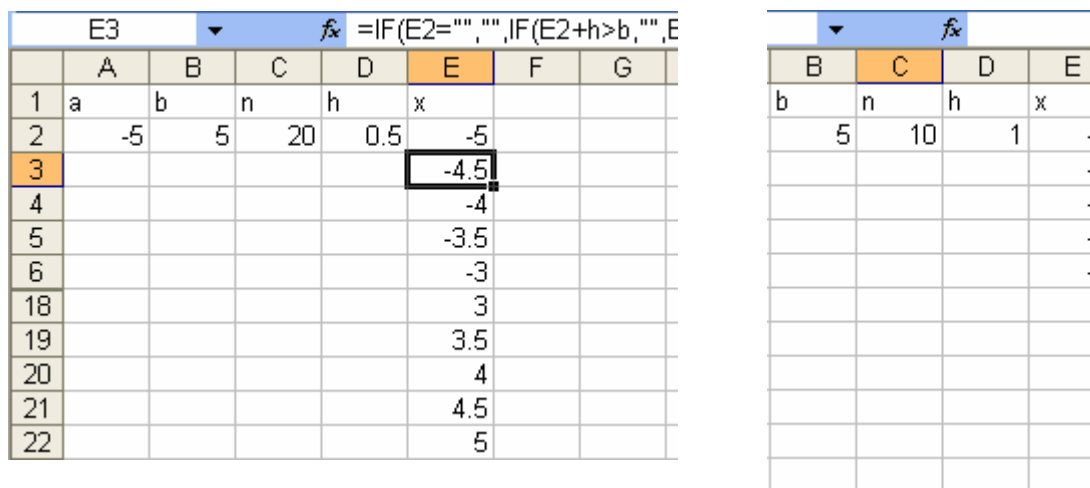


Figure 3: Sequence generation with variable number of points

We will use the above method to implement a zooming technique later.

### 2.3. Inserting new values in an existing table

Another technique that we will be using in this paper is that of inserting new x-values in an existing table. This technique can be used, for example to graph piecewise defined functions or introduce finer spacing of points to better visualize the behavior of the graph. We can start with a “coarse” set of points to get an idea about how the curve generally looks like and then add points to clarify the behavior of the curve over specific parts of the domain. The idea is simple. Generate the new points at the end of the existing table, select the whole set of x-values and use the Sort Ascending button to get the new points to line up in the correct order.

## 3 Sketching graphs with Excel


In this section we show how one sketches different types of graphs using Excel. Unless otherwise stated, Column A is always named as x.

### 3.1. Drawing a simple curve

We begin by showing how to use Excel to draw a simple curve such as that of  $y = \sin x$  over the interval  $[-\pi, \pi]$  (see also [5]). To do that we take the following steps:

- a) In A1 and B1 enter the labels x and  $y = \sin x$ , respectively.
- b) In A2 enter the first x-value by typing  $= -\pi()$ .
- c) In the cell A3 enter the formula  $=A2 + \pi()/20$ . (Thus we are going to take 40 values in the interval  $[-\pi, \pi]$ ) Generate the rest of the values as explained above.

## CURVE GRAPHING IN MS EXCEL AND APPLICATIONS

- d) In B3 type the formula  $=IF(x=""",",SIN(x))$  and double click the fill handle. This will automatically repeat the formula for the rest of the x-values
- e) Select the range of cells A1-B42, point to the Chart Wizard icon  on the main menu toolbar and click. The dialog box in Figure 4 appears.
- f) Select XY scatter from the chart type pane and “Scatter with data points connected by smoothed Lines without markers” from the Chart sub-type pane as shown in Figure 4. If you click on “Press and Hold to View Sample” button you will see a preview of how the graph will look like. At this point, the graph is complete, you can click “Finish” to see the graph on the worksheet or you can click “Next” to view other options you can include in your graph.
- g) By double clicking in various parts of the graph, dialog boxes appear that enable you to control certain features of the graph like the color of the plot area, color of the graph line and its weight, etc. Figure 6 shows the result of some of these choices.

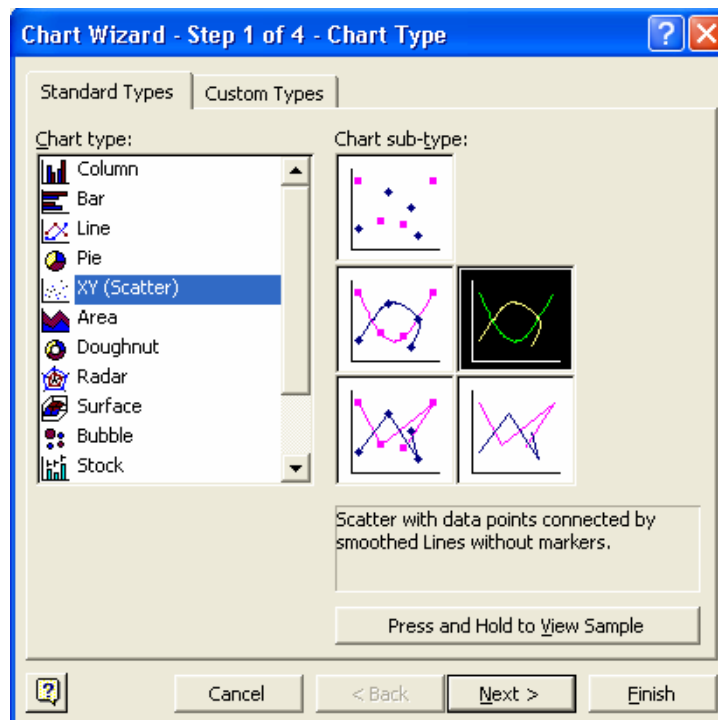


Figure 4 : The first dialog box in the Chart Wizard

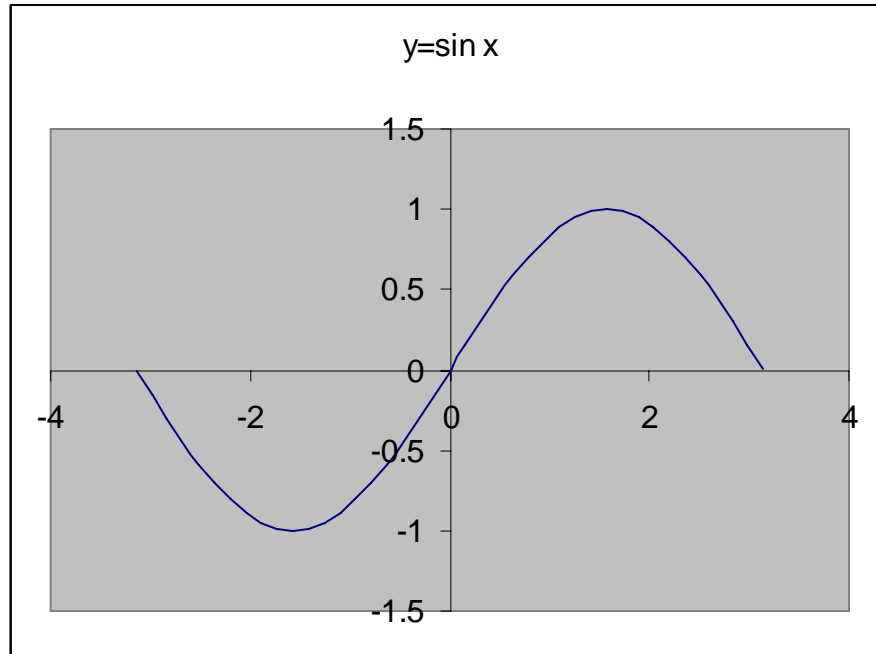


Figure 5: The plotted sine function

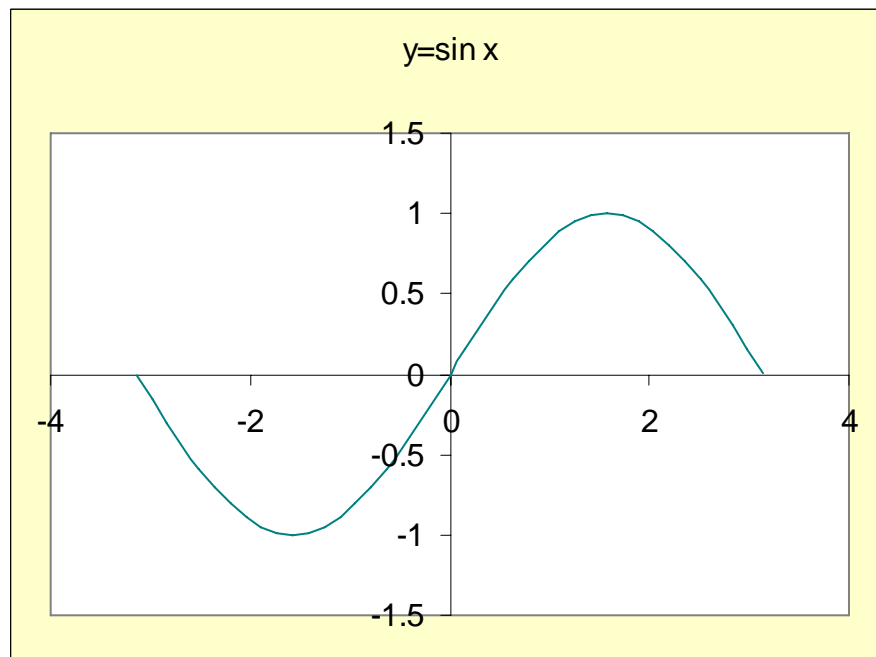


Figure 6: The edited graph

### 3.2. Drawing more than one curve on the same chart

There are two ways to draw more than one curve on the same chart. The first is best used when the points for all graphs are generated before plotting and for the same x-values. The second is best used when the points for each graph are generated separately or when they do not have the same x-values. We illustrate the two methods by examples.



CURVE GRAPHING IN MS EXCEL AND APPLICATIONS

3.2.1. First Method

Suppose we want to plot the graphs of  $y = x^2$  and  $y = 1 - x^2$  on the interval  $[-5,5]$ . In this case we follow exactly the procedure explained in the previous section except that we generate the points for the two curves simultaneously and we select the 3-column range of cells that contains these points before clicking the Chart Wizard. The following two figures illustrate the details.

	A	B	C
1	x	y1=x^2	y2=-x^2
2	-5	25	-24
3	-4.6	21.16	-20.16
4	-4.2	17.64	-16.64
5	-3.8	14.44	-13.44
6	-3.4	11.56	-10.56
7	-3	9	-8
22	3	9	-8
23	3.4	11.56	-10.56
24	3.8	14.44	-13.44
25	4.2	17.64	-16.64
26	4.6	21.16	-20.16
27	5	25	-24

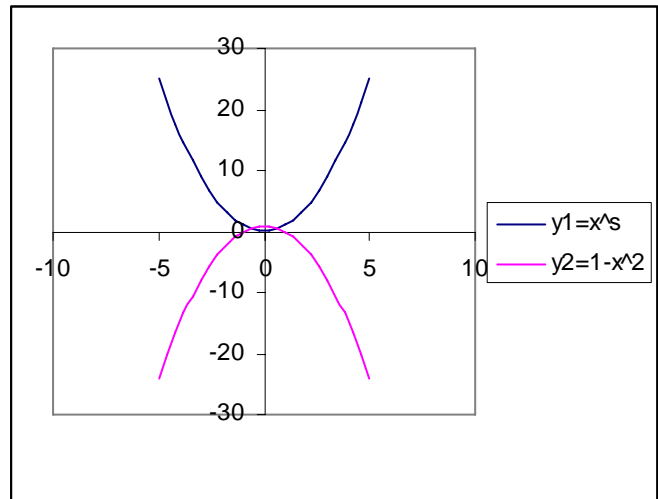


Figure 7: Two graphs on the same chart

3.2.2. Second Method

Here, we plot the graphs of  $y = e^x$  over the interval  $[-3,3]$  and  $y = 10 \log x$  over the interval  $[0.1,5]$ . We begin by generating and plotting the graph of  $y = e^x$  in the usual manner. Next we generate the points for the graph  $y = 10 \log x$ . To plot the latter graph on the same chart, select the range of  $x$ - $y$  points for the graph, point to the border of the selection, drag and drop in the chart area. A dialog box appears as shown in Figure 8.

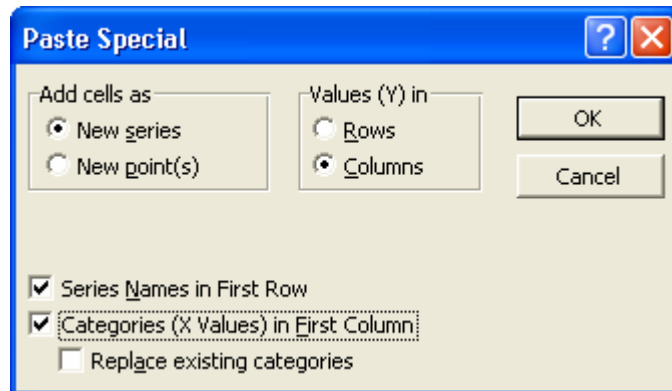


Figure 8: The dialog box to paste a second graph

Select: Add Cells - New Series, Values (Y) in - Columns, Series Names in First Row, Categories (X Values) in First Column. When you press ok, the graphs below will appear.

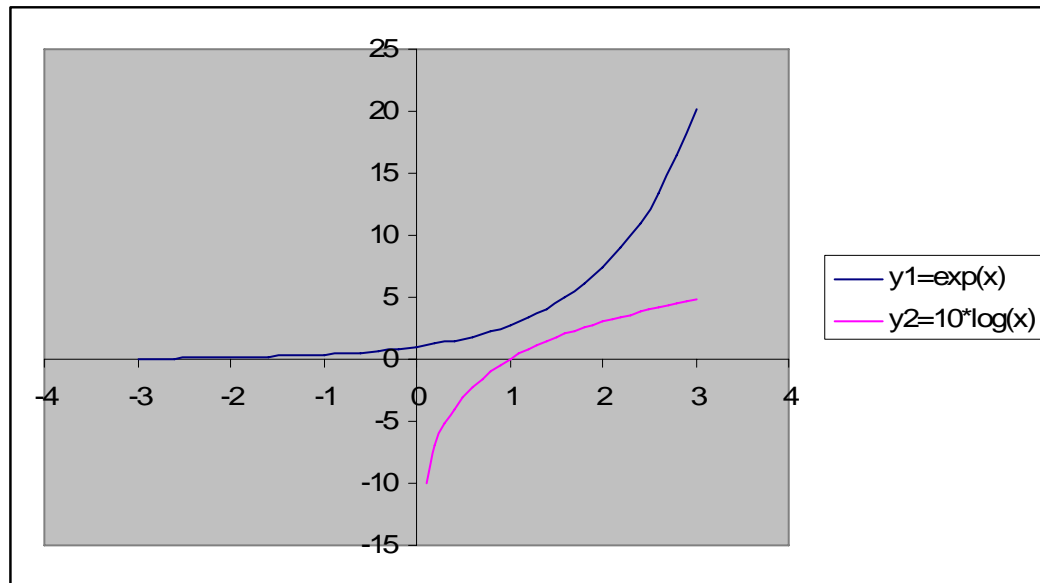


Figure 9: Two graphs with different domains

### 3.2.3. A General Purpose Grapher

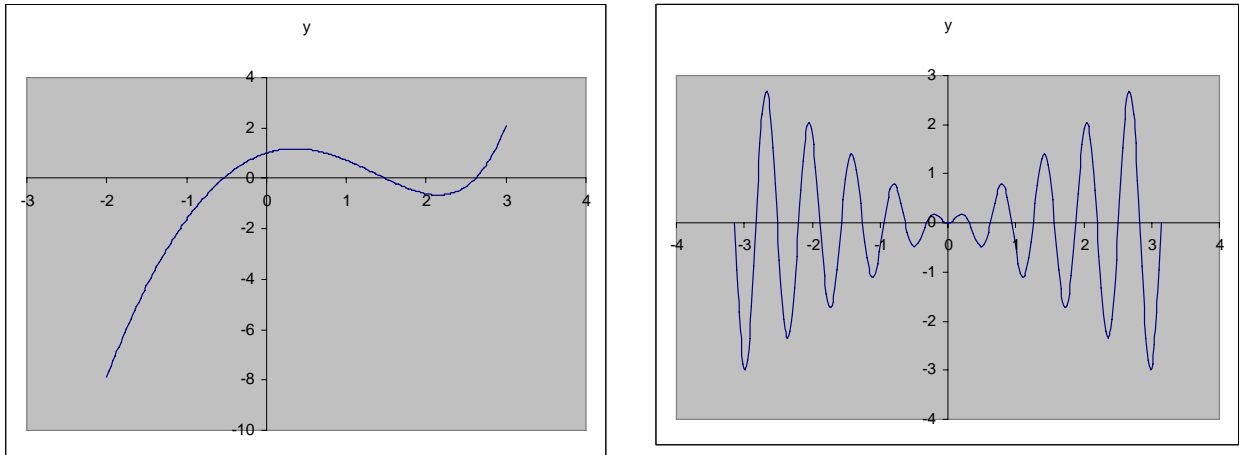
We describe here a general purpose function grapher that works much like specialized CAS graphers in the sense that the user need only insert the rule of the function and the endpoints of the interval on which the function is to be plotted. The procedure is as follows:

- Type the labels a, b, n, h, x and y in cells A1, B1, C1, D1, E1 and F1, respectively. Name A2, B2, C2, D2, E2 as a, b, n, h and x, respectively.
- Generate a sequence of  $n=200$  ( $n$  is fixed)  $x$ -values between the endpoints  $a$  and  $b$  as explained in Section 2.
- Select the range F2:F202 and type a rule of a function (say  $=x^2+x-1$ ) in the active cell. Press Ctrl+Shift+Enter. This generates the corresponding  $y$ -values.
- Plot the corresponding graph as usual.

At this point we generated the first graph. If we wish to graph another function, we do the following: 1) Provide the values of  $a$  and  $b$  and 2) Click in cell F2, type the rule of the new function in the formula bar and press Ctrl+Shift+Enter get the new graph.

Figure 10 shows the plots of the two functions  $e^x - 2x^2$  and  $x \sin(10x)$  over the interval  $[-2, 3]$  and  $[-\pi, \pi]$  respectively, obtained using this procedure.

## CURVE GRAPHING IN MS EXCEL AND APPLICATIONS

Figure 10: Plot of the functions  $e^x - 2x^2$  (left)  $x \sin(10x)$  (right)

### 3.3. Graphs of curves that do not represent functions

Suppose we want to draw the graph of the equation  $y^2 - xy - x^2 + y = -2$ . The graph does not represent a function since

$$y = \frac{(x-1) \pm \sqrt{5x^2 - 2x - 7}}{2},$$

i.e., every  $x$  corresponds to two values of  $y$ . An added difficulty here arises because of the range of allowable  $x$ -values. For instance,  $x=0$  is not allowed. We want to show that this will present no problems as far as graphing is concerned. The idea is to draw two graphs on the chart, one for each value of  $y$ . Thus we will be plotting the graphs of

$$y = \frac{(x-1) + \sqrt{5x^2 - 2x - 7}}{2} \quad \text{and} \quad y = \frac{(x-1) - \sqrt{5x^2 - 2x - 7}}{2}$$

over the interval  $[-8, 8]$ , a subinterval of which is not in the allowable range of  $x$ -values. When producing the points for these graphs you will notice that Excel produces the error message #NUM! for the range of  $x$ -values that are not allowed. You simply need to delete the cells that contain these errors. You should leave at least one empty row of cells between the undeleted ones (try to see what happens if you do not leave an empty row, you can always undo the changes by clicking the undo button in the toolbar). The following figure shows the graph corresponding to an  $x$ -step of 0.1.

M. EL-GEBEILY &amp; B. YUSHAU

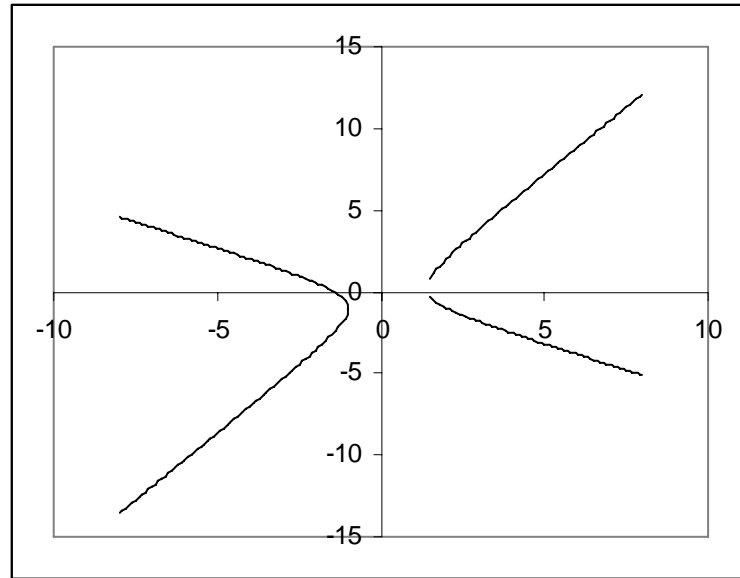


Figure 11: A graph of a non-function

You will notice that part of the graph is missing. This is because the 0.1 step was too big for the rapidly changing graph around  $x = 1.5$ . This brings us to the idea of adding points to a graph. We will use this idea to add more points near 1.5. This is done as follows.

- a) Insert values between 1.401 and 1.5 in steps of 0.01, say, as explained in Section 2.3 above. Extend the y-values correspondingly. This can be done by copying the formulas to the corresponding cells in the usual manner. You will need to insert an empty row again after the x-value -1.
- b) Click somewhere in the chart area to select it. The range of points used to generate the graph will be highlighted by Excel. You will notice that the highlighted range misses some values towards the end of the table. To extend the highlighted range point to the little red box at the end of the highlighted x-values. The cursor will change to a diagonal double headed arrow. Click and drag to extend the highlighting to the end of the generated points. The following figure shows the results.

CURVE GRAPHING IN MS EXCEL AND APPLICATIONS

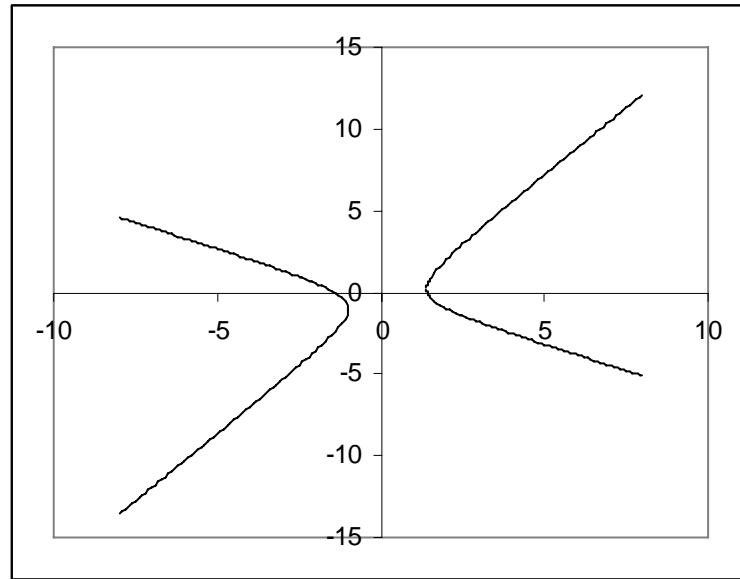


Figure 12: Filling the gap in the graph

### 3.4. Parametric and Polar curves

Parametric and polar curves pose no special challenge to Excel graphing. In the case of a parametric curve ( $x = f(t), y = g(t)$ ), an extra column for the values of  $t$  is needed. The values of  $x$  and  $y$  are then generated using the functions  $f$  and  $g$ . For a polar curve ( $r = f(\theta)$ ), a column of values of  $\theta$  is first generated, a corresponding column of the values of  $r$  is then computed. The  $x$  and  $y$  values are generated using the formulas  $x = r \cos \theta, y = r \sin \theta$ . Figure 13 shows parts of Excel tables for the cycloid  $x = t - \sin t, y = 1 - \cos t$  and the butterfly curve  $r = e^{\cos \theta} - 2 \cos 4\theta + \sin^3 \theta/4$  [2].

B2 $f_x = t - \sin(t)$			
A	B	C	D
t	x	y	
0	0	0	
0.314159	0.005142	0.048943	
0.628319	0.040533	0.190983	
0.942478	0.133461	0.412215	
1.256637	0.305581	0.690983	
1.570796	0.570796	1	
1.884956	0.933899	1.309017	
2.199115	1.390098	1.587785	
2.513274	1.925489	1.809017	

C2 $f_x = r * \cos(\text{Theta})$				
	A	B	C	D
1	Theta	r_	x	y
2	0	0.718282	0.718282	0
3	0.15708	1.067047	1.05391	0.166923
4	0.314159	1.970892	1.87443	0.609039
5	0.471239	3.05724	2.72402	1.387958
6	0.628319	3.867562	3.128923	2.273296
7	0.785398	4.03554	2.853558	2.853558
8	0.942478	3.430753	2.016546	2.775538
9	1.099557	2.212617	1.004507	1.971456
10	1.256637	0.77356	0.239043	0.735699

Figure 13: Generating points for a parametric (left) and a polar (right) curve

In the tables shown in Figure 13, Column A is named as  $t$  for the parametric curve while for the polar curve, Column A is named as  $\text{Theta}$  and Column B is named as  $r_$ . The underscore in naming Column B is necessary because the letters R

and C are reserved names and cannot be used. The graph of two loops of the cycloid is shown in Figure 14 and the graph of the butterfly curve is shown in Figure 15.

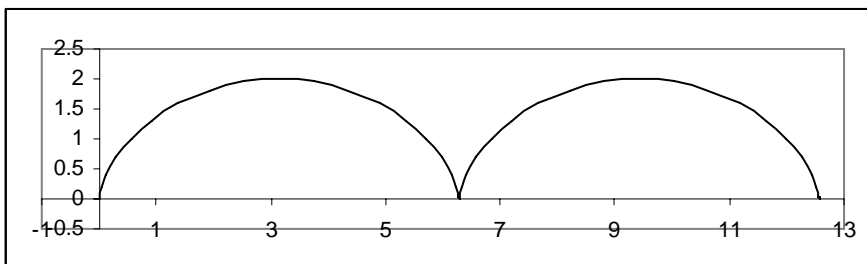


Figure 14: Two loops of a cycloid

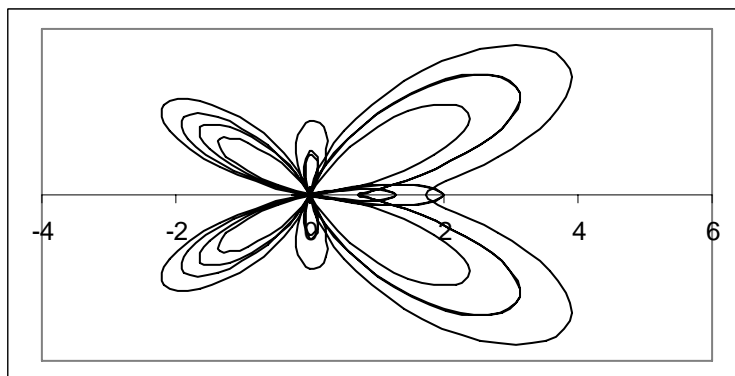


Figure 15: The butterfly curve

### 3.5. Parametric studies

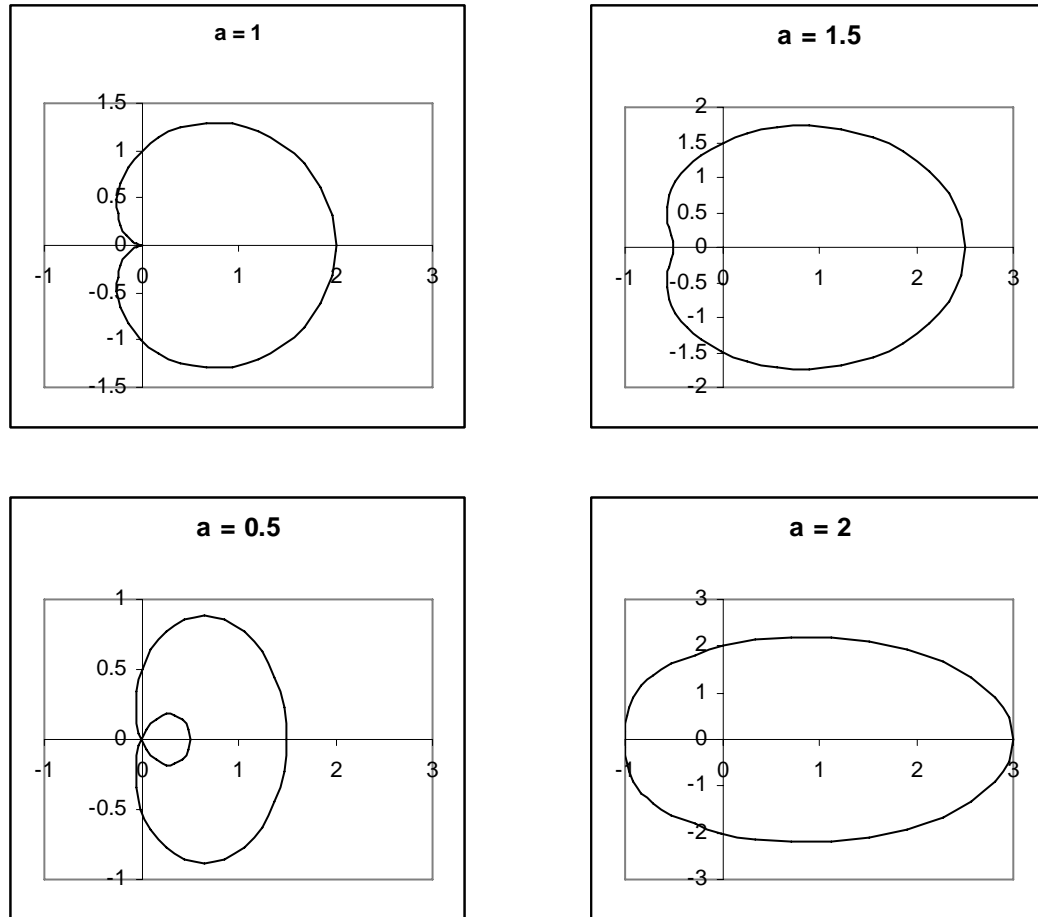
Excel graphing is also a great tool to study the dependence of graphs on parameters. We illustrate this by plotting the graph of the polar curve  $r = a + \cos \theta$  for various values of a. The table set up is the same as the one for polar curves except that we need an extra cell to store the value of a. The lay out of the table is shown in Figure 16.

C2		fx = a+COS(theta)			
A	B	C	D	E	
a	theta	r	x	y	
1	0	2	2	0	
	0.15708	1.987688	1.963217	0.310943	
	0.314159	1.951057	1.855565	0.60291	
	0.471239	1.891007	1.684899	0.858499	
	0.628319	1.809017	1.463525	1.063314	
	0.785398	1.707107	1.207107	1.207107	


Figure 16: Table for the curve  $r = a + \cos \theta$

The graphs for several values of a are shown below.

## CURVE GRAPHING IN MS EXCEL AND APPLICATIONS

Figure 17: Graphs for several values of the parameter  $a$ 

The values of the parameters can also be controlled by scroll bars. Figure 18 shows an implementation of this idea. In this figure, cells A2, B2, C2 and D2 are named as cont (for counter),  $a$ , theta and  $r_{\_}$ , respectively. The scroll bar implementation is done as follows:

- Click View, Toolbars, Control Toolbox (the Control Toolbox bar is displayed).
- Click on the scroll bar control. Click on the worksheet at the location where you want to place the scroll bar. Drag the control to the size you want. (On top of cells A3 and B3 in Figure 18.)
- To set the necessary properties for the scroll bar to control the parameter  $a$ , right-click the control then click **Properties** on the shortcut menu (or click on the properties button in the Control Toolbox bar). Set the properties Linked Cell, Max and Min to cont, 10 and 0, respectively. Close the properties dialog box and click the design mode button  to quit the design mode and activate the scroll bar control. If you click on the scroll bar arrows or drag the scroll button, you will see the values in A2 change from 0 to 10.
- Using the values generated in A2, we can now create parameter values in B2, e.g., by using the formula  $=-(10-\text{cont})/10+2*\text{cont}/10$  to map the values 0 to 10 to the values -1 to 2.

- e) The rest of the table for the curve is constructed as before and the graph is created in the usual manner. If the scroll bar is pressed or scroll button is dragged, you will see the parameter values change and the corresponding polar curve drawn.

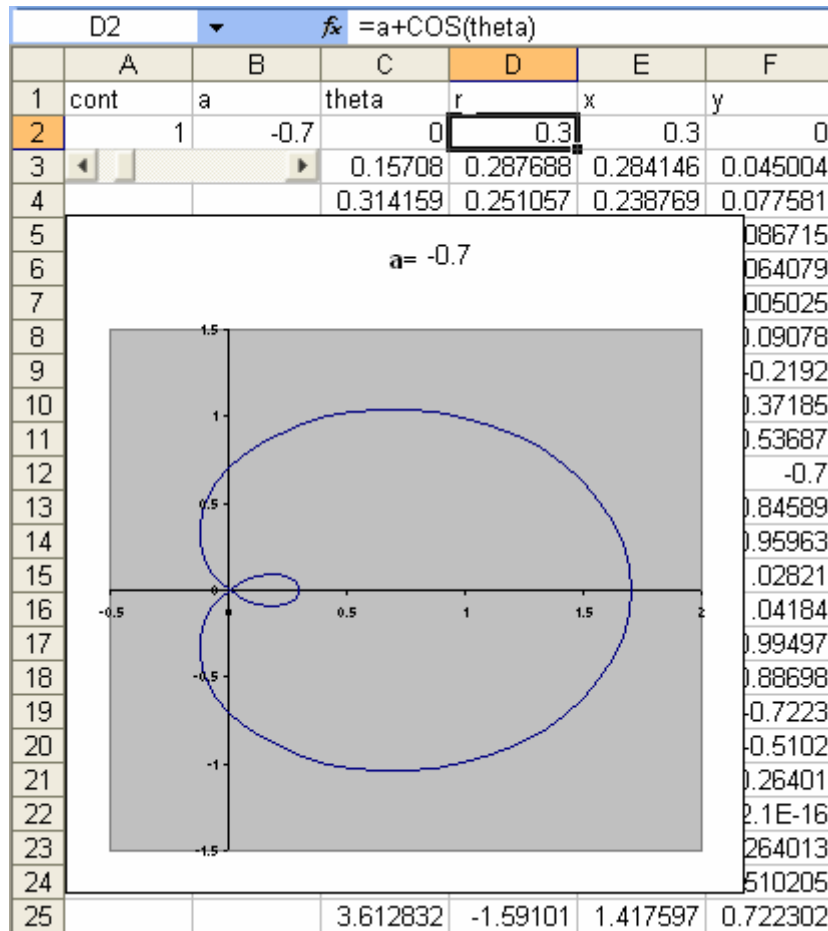


Figure 18: Controlling the parameter with a scroll bar

One thing to notice in Figure 18 (and also in Figure 17) is that the correct value of the parameter always shows in the chart title. To do this automatically, insert a Text Box from the Drawing Toolbar, click inside the text box to activate it and type the formula =a in the formula bar. When you press enter the current value in the cell named a (B2) will be displayed in the text box.

#### 4 Further Applications of graphing techniques

It has been observed in [4] that from the last quarter of the last century, mathematics as an activity has become more experimental and more visual. The trend now is more so, due to technological advancement than when this observation was made. In line with this development, Excel is a tool that has the potential for enhancing both visual and experimental features. We shall give two applications where experimentation is encouraged and visualization is vivid in Excel. The first is the zooming technique in order to detect a zero of a function, while the other is online graphing, whereby a collection of data is linked to a graph that is



## CURVE GRAPHING IN MS EXCEL AND APPLICATIONS

automatically updated as new data is generated. The graph gives a visual summary of the history of data generation.

#### 4.1. A Zooming technique to bracket zeros

Suppose we want to find the roots of the equation  $x^5 - 4x^4 + 3x - 10 = 0$ . One way to do so is to plot the graph over a large range and then zoom in on the roots, one by one, to better bracket them. For this purpose we use the technique for generating values in an interval  $[a, b]$  that was explained in Section 2.2. We started by plotting the function over the interval  $[-3, 5]$  as shown in Figure 19.

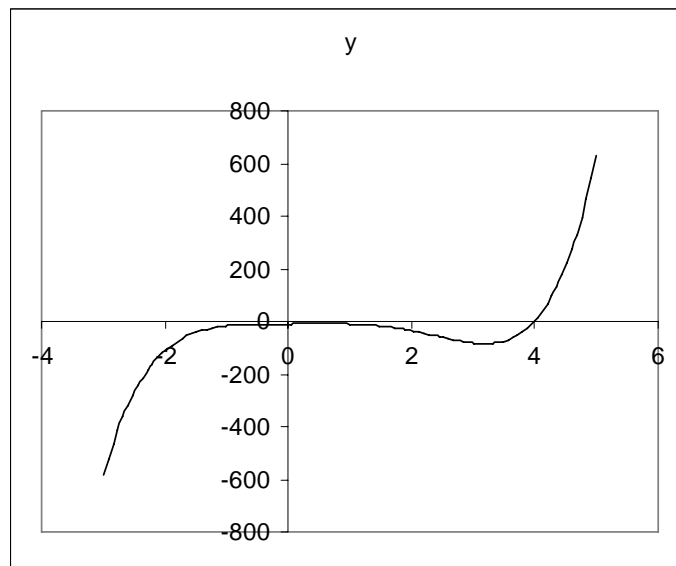
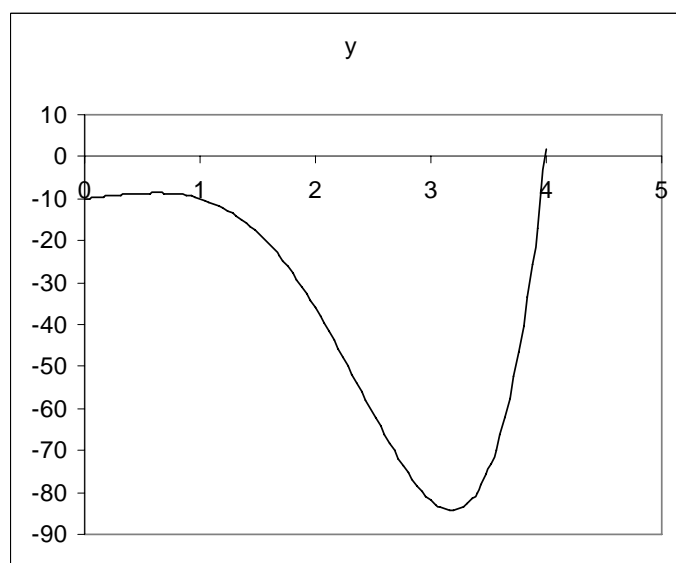


Figure 19: The polynomial plotted on a “large” interval

We see from this Figure that the roots of the polynomial are located in the interval  $[0, 4]$ . So we change the values of  $a$  and  $b$  to 0 and 4. The graph in Figure 20 is generated.



M. EL-GEBEILY & B. YUSHAU

Figure 20: Zooming closer

From this graph, it is clear that the polynomial has only one root near 4, so we change  $a$  and  $b$  to 3.8 and 4.1. Figure 21 is generated.

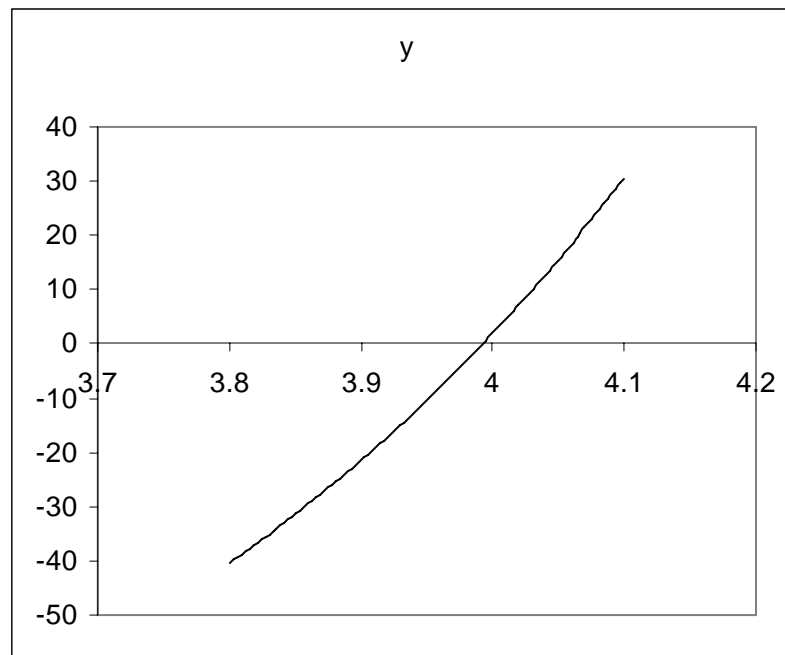


Figure 21: Bracketing the zero of the polynomial

At this point, by looking at the table of generated  $y$ -values we see that the root is actually between 3.992 and 3.995. This means we have bracketed the root to two decimal places. Observe also that if you move the cursor near the root, the yellow hint box will appear giving the following points:

Series "y" Point "3.995" (3.995, 0.711388)	and	Series "y" Point "3.992" (3.992, -0.0556651)
-----------------------------------------------	-----	-------------------------------------------------

So there is actually no need to look up values in the table. By continuing this process, we can bracket the root to any degree of accuracy we desire. See also [2].

#### 4.2. Online graphing for data recording

Sometimes need arises to graph and/or analyze data points that are generated online. For example, the computer may be hooked to a measuring device in an experiment, or the data is being generated by another program. Excel can be used to graph/analyze and update the graph/analysis periodically at time intervals of as little as one minute. We illustrate the procedure by considering the data shown in Table 1 (see [7], page 359) which gives measurements of normal stress vs. shear resistance for a certain metal specimen.

To simulate the online data generation, open a text file and type the first 2 or 3  $(x, y)$  values. Save the file as, say, "dat.txt" in "my documents", or some other convenient directory. In an Excel sheet, type the labels Stress, Shear and Ratio in cells A1, B1 and C1, respectively. Name Columns A and B as Stress and Shear,

## CURVE GRAPHING IN MS EXCEL AND APPLICATIONS

respectively. In C2 enter the formula =Shear/Stress (do not worry about the error message that appears when you press Enter). The ratios generated in Column C represent analysis that we want to perform on the generated data. Select cell A2 and then click Data, Import External Data, Import Data... to open the Select Data Source dialog box. Navigate to where you saved the dat.txt file (My Documents in this example), select the file and then click Open to bring up the Text Import Wizard shown in Figure 22: Step 1 of the Text Import Wizard.

Normal Stress	Shear Resistance
22.6	25.8
23.6	27.1
23.9	25.9
24.7	26.3
25.4	27.3
25.6	24.9
26.8	26.5
26.9	21.7
27.4	21.4
27.7	23.6
28.1	22.5
28.9	24.2

Table 1: Data for online graphing/analysis

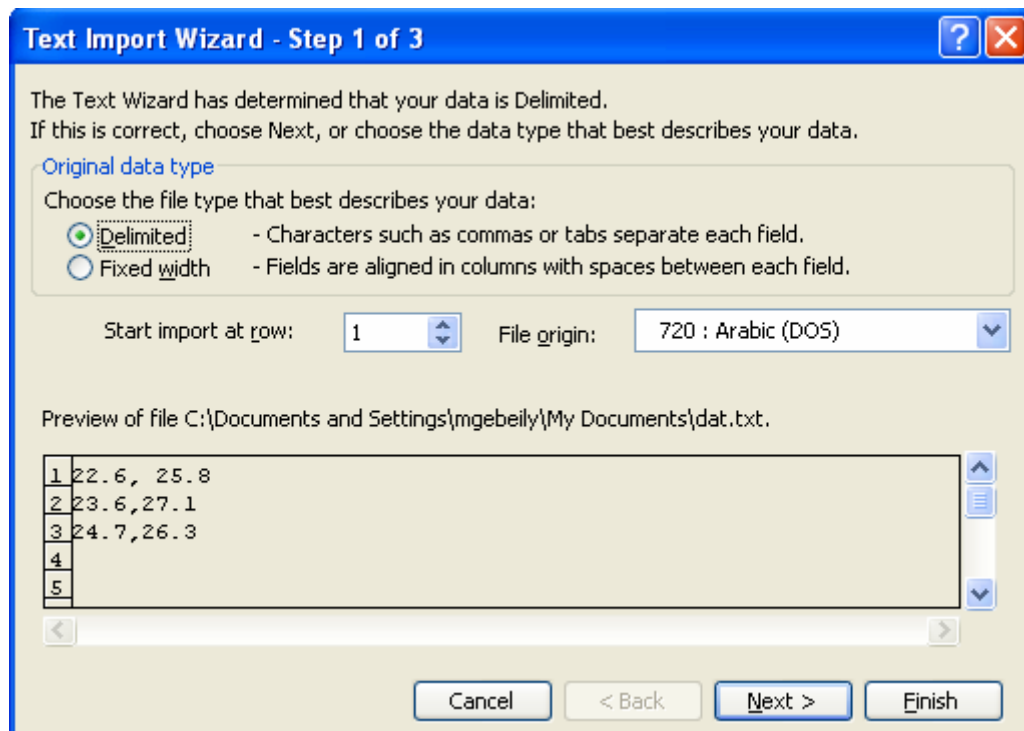


Figure 22: Step 1 of the Text Import Wizard

In this dialog box you can select the Original data type and at which row to start importing. Make the selections shown and click Next. In the next dialog box, check, the Comma box in the Delimiters sub-box to tell Excel that your data is separated by commas. Click Finish.

The Import Data dialog box starts (see Figure 23: The Import Data dialog box). In this dialog box click Properties.

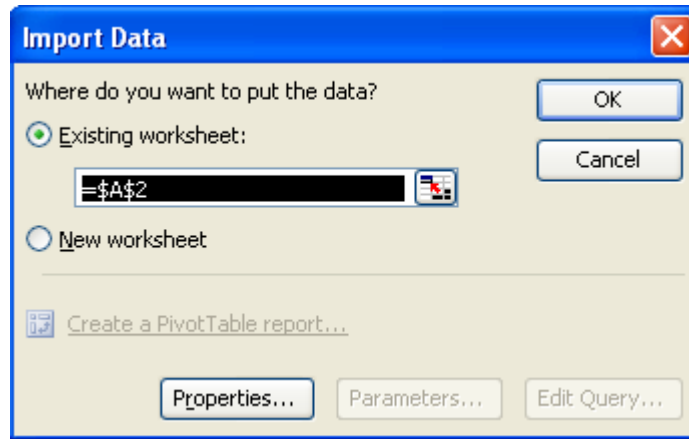


Figure 23: The Import Data dialog box

The External Data Range Properties appears as shown in Figure 24. Make the selections shown in Figure 24 and set the Refresh every box to 1 minute. Click Ok.

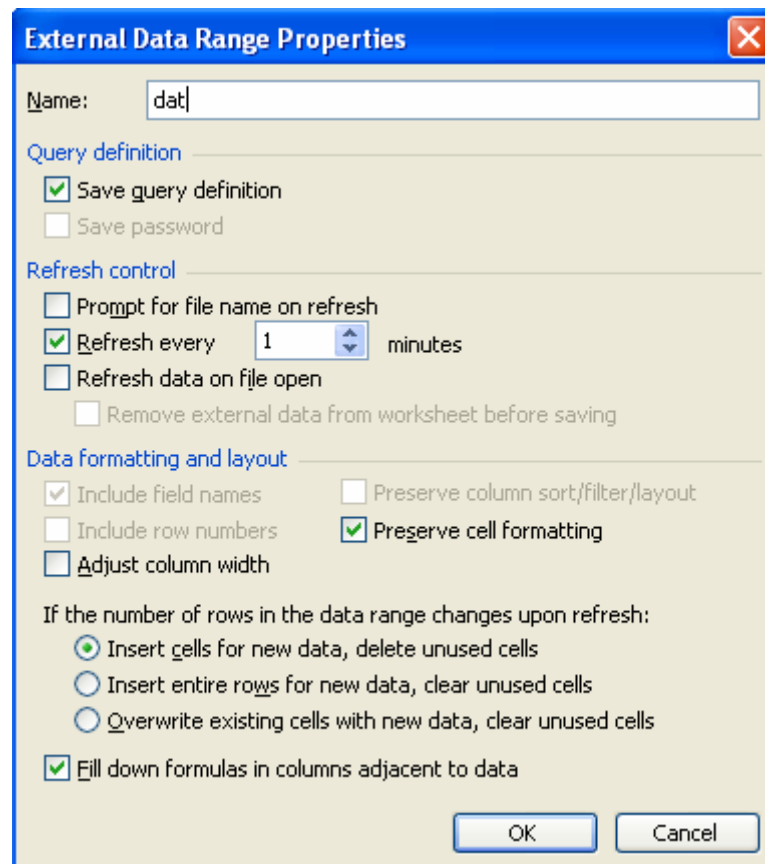


Figure 24: The External Data Range Properties dialog box

## CURVE GRAPHING IN MS EXCEL AND APPLICATIONS

The imported data appears as shown in Figure 25. Observe how the formula in Column C is extended automatically to the three imported rows.

	A	B	C	D
1	Stress	Shear	Ratio	
2	22.6	25.8	1.14159292	
3	23.6	27.1	1.148305085	
4	24.7	26.3	1.064777328	
5			#DIV/0!	

Figure 25: The initial imported data

Now with the range A1:C4 generate the two graphs shown in Figure 26.

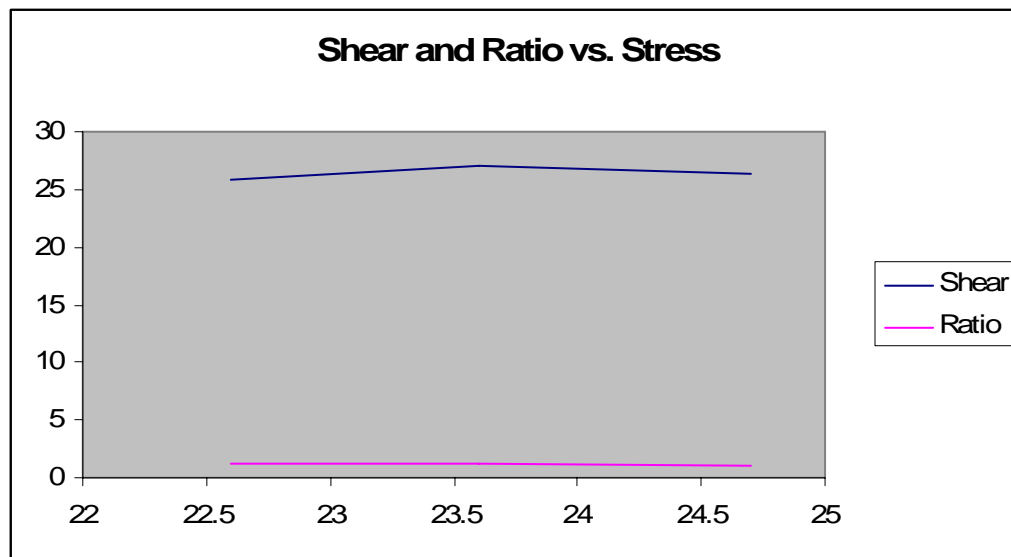


Figure 26: Graphs of the initially imported/analyzed data

Next, to simulate the generation of new data, open the file dat.txt and insert some more points. Do not forget to save the changes. Figure 27 shows the addition, analysis and plotting of the new imported data.

Figure 27 shows actually the data after it was imported into Excel. This updating takes place within a minute of saving the changes. You will also notice that the graph is automatically updated to include the new points.

Further simulations can be done by actually adding or deleting points. Excel will update automatically every one minute. One point to note here is that, if you exit Excel and reopen it again, a dialog box comes up asking you if you want to enable automatic importing or not. If you want to continue the updating choose Enable automatic refresh.

Stress	Shear	Ratio
22.6	25.8	1.14
23.6	27.1	1.14
24.7	26.3	1.06
25.4	27.3	1.07
25.6	24.9	0.97
26.8	26.5	0.98
26.9	21.7	0.80

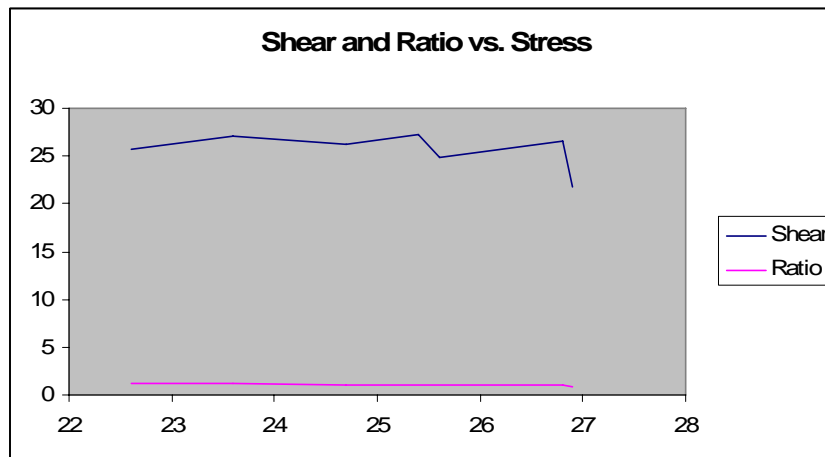


Figure 27: More data imported, analyzed and plotted

## 5 Conclusions

In this note we have shown how to graph curves given in rectangular and parametric forms using MS Excel. As an application of the techniques, we have shown how to do parametric studies and how to zoom to approximate zeros of a function with very high precision. In addition, we have shown how Excel can be used to continually update graphs/analysis of data generated online by an external source. The importance of having a facility to visualize a function as a graph cannot be overstated. While there are a few graphing packages that provide great support for this process, the value of using Excel to make the graph is that the users aren't working with a black box. They really do create the graph for themselves, a process which undoubtedly enhances understanding.

### **Acknowledgement**

The authors would like to thank King Fahd University of Petroleum & Minerals for excellent research facility.

### **References**

- [1] Abramovich, S. and Sugden, S. (2005). Spreadsheet Conditional Formatting: An Untapped Resource for Mathematics Education, *eJSiE* 1(2), 104-124.
- [2] Arganbright, D. (2005). Enhancing Mathematical Graphical Displays in Excel through Animation, *eJSiE* 2(1), 120-147.
- [3] Anton, H., Bivens, I., Davis, S. (2002). *Calculus*, 7th edition, John Wiley.
- [4] Dreyfus, T. (1993). Didactic design of computer-based learning environments. In C. Keitel & K. Ruthven, (Eds). *Learning from computers: mathematics education and technology* (pp. 101-130). Berlin: Springer-Verlag.
- [5] Sugden, S. (2005). Colour by Numbers: Solving Algebraic Equations Without Algebra, *eJSiE* 2(1), 101-114.
- [6] Walkenbach, J. (2003). *Excel Charts*, Wiley Publishing, Inc.
- [7] Walpole, R., Myers, R., Myers, S. and Ye, K. (2002). *Probability and Statistics for Engineers and Scientists*, Pearson Education International, Prentice Hall.